## Exhibit 99(a) of the Form S-1 Registration Statement - Daily Adjustment Calculation

We designed the Daily Adjustment to provide an Index Option Value for each Index Option on Business Days other than the Index Effective Date or an Index Anniversary. The Daily Adjustment approximates the Index Option Value on the next Index Anniversary, adjusting for:
(i) any Index gains during the Index Year subject to the Cap or
(ii) either any Index losses greater than the Buffer.

The Daily Adjustment formula has two primary components: (i) the change in Proxy Value, and (ii) accumulated proxy interest, which are added together and then multiplied by the Index Option Base. We designed the Daily Adjustment to estimate the present value of positive or negative Performance Credits on the next Index Anniversary. You should note that even if your selected Index(es) experience positive growth, the Daily Adjustments may be negative because of other market conditions, such as the expected volatility of Index prices and interest rates.

## DAILY ADJUSTMENT FORMULA

The formula for the calculation of the Daily Adjustment is as follows:
Daily Adjustment $=[(a)$ change in Proxy Value $+(b)$ proxy interest $]$ x Index Option Base
Where:
(a) change in Proxy Value $=($ current Proxy Value - beginning Proxy Value $)$
(b) proxy interest $=$ beginning Proxy Value x (1-time remaining during the Index Year)

## CALCULATING CHANGE IN PROXY VALUE

The change in Proxy Value represents the current hypothetical value of the Proxy Investment (current Proxy Value), less the cost of the Proxy Investment at the beginning of the Index Year (beginning Proxy Value).

The current Proxy Value is the Proxy Value calculated on the same day as the Daily Adjustment. The beginning Proxy Value is the Proxy Value calculated on the first day of the current Index Year.

The Proxy Value involves tracking three hypothetical derivatives and is calculated using the following formula:
Proxy Value $=($ at-the-money call $)-($ out-of-the-money call $)-($ out-of-the-money put $)$
With respect to our Proxy Value formula, we designed the at-the-money call and out-of-the-money call to value the potential for Index gains up to the Cap, and the out-of-the-money put to value the potential for Index losses greater than the Buffer. It is important to note that the out-of-the-money put will almost always reduce the Daily Adjustment, even when the current Index price on a Business Day is higher than the Index Value on the last Index Anniversary. This is because the risk that the Index Value could be lower on the next Index Anniversary is present to some extent whether or not the current Index price on a Business Day is lower than the Index Value on the last Index Anniversary.

## DERIVATIVE DESCRIPTIONS

## At-the-money call (AMC)

This is an option to buy a position in the Index on the next Index Anniversary at the strike price of one. On an Index Anniversary the AMC's value is equal to the current Index price on a Business Day divided by the Index Value on the last Index Anniversary (or the Index Effective Date if this is the first Index Anniversary), then minus one, the difference being no less than zero.

## Out-of-the-money call (OMC)

This is an option to buy a position in the Index on the next Index Anniversary at the strike price of (one plus the Cap). On an Index Anniversary the OMC's value is equal to the current Index price on a Business Day divided by the Index Value on the last Index Anniversary (or the Index Effective Date if this is the first Index Anniversary), then minus the sum of one plus the Cap, the difference being no less than zero.

## Out-of-the-money-put (OMP)

This is an option to sell a position in the Index on the next Index Anniversary at the strike price of (one minus the Buffer). On an Index Anniversary the OMP's value is equal to one minus the Buffer, then minus the quotient of the Index Value on the last Index Anniversary (or the Index Effective Date if this is the first Index Anniversary) divided by the current Index price on a Business Day, the difference being no less than zero.

## CALCULATING PROXY INTEREST

The proxy interest is an amount of interest that is earned to provide compensation for the cost of the Proxy Investment at the beginning of the Index Year. The proxy interest is approximated by the value of amortizing the cost of the Proxy Investment over the Index Year to zero. The formula for proxy interest involves the calculation of: (i) the beginning Proxy Value, and (ii) the time remaining during an Index Year. The time remaining during an Index Year is equal to the number of days remaining in the Index Year divided by 365 . The proxy interest may be significantly different from current interest rates available on interest bearing investments.

## PROXY VALUE CALCULATION

Throughout the Index Year, on Business Days other than the Index Effective Date or an Index Anniversary, we calculate each hypothetical derivative investment using the Black Scholes model for valuing a European Option. The purpose of this calculation is to determine the market value of your allocation.

## PROXY VALUE INPUTS

Index YTD return - The Index price at the end of the current Business Day divided by the Index Value on the last Index Anniversary (or the Index Effective Date if this is before the first Index Anniversary). The Index prices are provided daily by Bloomberg or another market source.

Dividend yield - The average annual dividend yield as provided by Bloomberg or another market source over the most recent ten-year period, as set at the beginning of each calendar year. The average is defined as the sum of the recent ten-year dividend yield and divide by 10 . The dividend yield is a percentage calculated by the dividends divided by the index at the time the dividend was paid throughout the year. The dividend yield remains constant throughout the calendar year. Since dividends typically reduce Index prices, a higher dividend yield will lead to a lower expected Index price.

For the EURO STOXX $50^{\circledR}$ dividend yield, we adjust the dividend yield for the exchange rate. We add to the EURO STOXX $50^{\circledR}$ dividend yield a difference in interest rates between the annual effective yield of a current six-month U.S. Constant Maturity Treasury Rate and the current six-month Euribor Rate, minus the covariance of EURO STOXX $50^{\circledR}$ and the exchange rate. The covariance is the product of the correlation of euros to dollars exchange rate and EURO STOXX $50^{\circledR}$, the six-month volatility of EURO STOXX $50^{\circledR}$, and the six-month volatility of the euros to dollars exchange rate.

Strike price - This varies for each derivative investment as follows.

- For an AMC the strike price is equal to 1.
- For an OMC the strike price is equal to 1 plus the Cap.
- For an OMP the strike price is equal to 1 minus the Buffer.

Interest rate - The annual effective yield of a current six-month U.S. constant maturity treasury bond as provided daily by Bloomberg or another market source. The interest rate is used to present value the strike price from the next Index Anniversary to the time of calculation

Time remaining - The number of days in the Index Year from the next Index Anniversary to the time of the calculation divided by 365 .

Volatility - The volatility of an Index as approximated daily using observed option prices by Bloomberg or another market source. Direct sources of volatility are generally not available, because options in the marketplace generally do not directly align with inputs of the proxy investments.

We approximate the volatility by linearly interpolating between two implied volatilities of AMCs. Implied volatilities are determined using the Black Scholes model for European Options based upon daily option prices from Bloomberg or another market source. The AMC used is the AMC with the closest available maturity before and closest available maturity after the next Index Anniversary. The volatility is used in determining the likelihood and expected amount that the Index Value will differ from the strike price on the next Index Anniversary. As volatility increases, the value of call and put options generally increase.

## EXAMPLE: INDEX PERFORMANCE STRATEGY WITH THE S\&P $500^{\circ}$ INDEX

Assume you purchase a Contract and allocate your total initial Purchase Payment of $\$ 10,000$ to the Index Option with the Index Performance Strategy using the S\&P $500^{\circledR}$ Index. On the Index Effective Date the Index Option Base is $\$ 10,000$, the Cap is $12 \%$, the Buffer is $10 \%$ and the Index Value is 1,000 . Assume that all Proxy Value inputs except the Index price stay constant throughout the year. Please note that these examples may differ from your actual results due to rounding.

## Index Effective Date

On the Index Effective Date we calculate the beginning Proxy Value as follows.

| Strike price | AMC $=1$ | OMC $=1.12$ | OMP $=0.90$ |
| :--- | :--- | :--- | :--- |
| Index Value | 1,000 |  |  |
| Index YTD return | NA |  |  |
| Interest rate | $0.50 \%$ |  |  |
| Dividend yield | $2.20 \%$ |  |  |
| Time remaining | 1 |  |  |
| Volatility | $15.00 \%$ |  |  |
| Value of derivatives using Black Scholes | AMC $=5.10 \%$ | OMC $=1.66 \%$ | OMP $=2.41 \%$ |

Beginning Proxy Value $=\mathrm{AMC}-\mathrm{OMC}-\mathrm{OMP}=5.10 \%-1.66 \%-2.41 \%=1.03 \%$

| Month | Index Value | AMC | OMC | OMP | Proxy Value | Daily <br> Adjustment | Index Option <br> Value |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Index Effective Date | 1,000 | $5.10 \%$ | $1.66 \%$ | $2.41 \%$ | $1.03 \%$ | $\$ 0.00$ | $\$ 10,000.00$ |

## End of month one

Assume the Index price increased to 1,010 by the end of month one. We calculate the current Proxy Value as follows:

| Strike price | AMC $=1$ | OMC $=1.12$ | OMP $=0.90$ |
| :--- | :--- | :--- | :--- |
| Index price | 1,010 |  |  |
| Index YTD return | $1.00 \%$ |  |  |
| Interest rate | $0.50 \%$ |  |  |
| Dividend yield | $2.20 \%$ |  |  |
| Time remaining | 0.92 |  |  |
| Volatility | $15.00 \%$ |  |  |
| Value of derivatives using Black Scholes | AMC $=5.41 \%$ | OMC $=1.72 \%$ | OMP $=1.95 \%$ |

Current Proxy Value $=\mathrm{AMC}-\mathrm{OMC}-\mathrm{OMP}=5.41 \%-1.72 \%-1.95 \%=1.74 \%$
In this example the Index price increased since the beginning of the year, which generally increases the Proxy Value. We calculate the Daily Adjustment and Index Option Value as follows.

Daily Adjustment $=[(a)$ change in Proxy Value $+(b)$ proxy interest $]$ x Index Option Base:
(a) change in Proxy Value $=($ current Proxy Value - beginning Proxy Value $)=(1.74 \%-1.03 \%)=0.71 \%$
(b) proxy interest $=$ beginning Proxy Value $x(1-$ Time remaining $)=1.03 \% \times(1-0.92)=0.086 \%$ $=[$ (a) $0.71 \%+(b) 0.086 \%] \times \$ 10,000=\$ 79.39$
Index Option Value $=$ Index Option Base + Daily Adjustment $=\$ 10,000.00+\$ 79.39=\$ 10,079.39$

| Month | Index Price | AMC | OMC | OMP | Proxy Value | Daily <br> Adjustment | Index Option <br> Value |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 1,010 | $5.41 \%$ | $1.72 \%$ | $1.95 \%$ | $1.74 \%$ | $\$ 79.39$ | $\$ 10,079.39$ |

## End of month one with changes to Proxy Value inputs

Proxy Value inputs can result in a negative Daily Adjustment even with a positive return in the Index. As in the previous example, assume the Index price increased to 1,010 by the end of month one. In addition, assume volatility decreased from $15 \%$ to $5 \%$ and dividend yield increased from $2.20 \%$ to $5 \%$. We calculate the current Proxy Value as follows:

| Strike price | AMC $=1$ | OMC $=1.12$ | OMP $=0.90$ |
| :--- | :--- | :--- | :--- |
| Index price | 1,010 |  |  |
| Index YTD return | $1.00 \%$ |  |  |
| Interest rate | $0.50 \%$ |  |  |
| Dividend yield | $5.00 \%$ |  |  |
| Time remaining | 0.92 |  |  |
| Volatility | $5.00 \%$ |  |  |
| Value of derivatives using Black Scholes | AMC $=0.72 \%$ | OMC $=0.00 \%$ | OMP $=0.12 \%$ |

Current Proxy Value $=\mathrm{AMC}-\mathrm{OMC}-\mathrm{OMP}=0.72 \%-0.00 \%-0.12 \%=0.61 \%$
In this example the Index price increased since the beginning of the year, which generally increases the Proxy Value. We calculate the Daily Adjustment and Index Option Value as follows.

Daily Adjustment $=[(a)$ change in Proxy Value $+(b)$ proxy interest $]$ Index Option Base:
(a) change in Proxy Value $=($ current Proxy Value - beginning Proxy Value $)=(0.61 \%-1.03 \%)=-0.42 \%$
(b) proxy interest $=$ beginning Proxy Value $x(1-$ Time remaining $)=1.03 \% \mathrm{x}(1-0.92)=0.086 \%$
$=[(\mathrm{a})-0.42 \%+(\mathrm{b}) 0.086 \%] \times 10,000=\$ 33.79$
Index Option Value $=$ Index Option Base + Daily Adjustment $=\$ 10,000.00+-\$ 33.79=\$ 9,966.21$

| Month | Index Price | AMC | OMC | OMP | Proxy Value | Daily <br> Adjustment | Index Option <br> Value |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 1,010 | $0.72 \%$ | $0.00 \%$ | $0.12 \%$ | $0.61 \%$ | $-\$ 33.79$ | $\$ 9,966.21$ |

## End of month three

Returning to the original assumptions regarding dividend yield (2.20\%) and volatility ( $15.00 \%$ ), assume the Index price decreased to 950 by the end of month three. We calculate the current Proxy Value as follows:

| Strike price | AMC $=1$ | OMC $=1.12$ | OMP $=0.90$ |
| :--- | :--- | :--- | :--- |
| Index price | 950 |  |  |
| Index YTD return | $-5.00 \%$ |  |  |
| Interest rate | $0.50 \%$ |  |  |
| Dividend yield | $2.20 \%$ |  |  |
| Time remaining | 0.75 |  |  |
| Volatility | $15.00 \%$ |  |  |
| Value of derivatives using Black Scholes | AMC $=2.50 \%$ | OMC $=0.52 \%$ | OMP $=3.09 \%$ |

Current Proxy Value $=\mathrm{AMC}-\mathrm{OMC}-\mathrm{OMP}=2.50 \%-0.52 \%-3.09 \%=-1.11 \%$
In this example the Index price decreased, which generally decreases the Proxy Value. We calculate the Daily Adjustment and Index Option Value as follows.

Daily Adjustment $=[(a)$ change in Proxy Value $+(b)$ proxy interest $]$ Index Option Base:
(a) change in Proxy Value $=($ current Proxy Value - beginning Proxy Value $)=(-1.11 \%-1.03 \%)=-2.14 \%$
(b) proxy interest $=$ beginning Proxy Value $\mathrm{x}(1-$ Time remaining $)=1.03 \% \mathrm{x}(1-0.75)=0.26 \%$
$=[(a)-2.14 \%+(b) 0.26 \%] \times 10,000=-\$ 187.97$
Index Option Value $=$ Index Option Base + Daily Adjustment $=\$ 10,000.00+-\$ 187.97=\$ 9,812.03$

| Month | Index Price | AMC | OMC | OMP | Proxy Value | Daily <br> Adjustment | Index Option <br> Value |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 3 | 950 | $2.50 \%$ | $0.52 \%$ | $3.09 \%$ | $-1.11 \%$ | $-\$ 187.97$ | $\$ 9,812.03$ |

## End of month six

Assume the Index price decreased to 910 by the end of month six. We calculate the current Proxy Value as follows:

| Strike price | AMC $=1$ | OMC $=1.12$ | OMP $=0.90$ |
| :--- | :--- | :--- | :--- |
| Index price | 910 |  |  |
| Index YTD return | $-9.00 \%$ |  |  |
| Interest rate | $0.50 \%$ |  |  |
| Dividend yield | $2.20 \%$ |  |  |
| Time remaining | 0.50 |  |  |
| Volatility | $15.00 \%$ |  |  |
| Value of derivatives using Black Scholes | AMC $=0.89 \%$ | OMC $=0.08 \%$ | OMP $=3.69 \%$ |

Current Proxy Value $=\mathrm{AMC}-\mathrm{OMC}-\mathrm{OMP}=0.89 \%-0.08 \%-3.69 \%=-2.88 \%$
In this example the Index price decreased, which generally decreases the Proxy Value. We calculate the Daily Adjustment and Index Option Value as follows.

Daily Adjustment = [(a) change in Proxy Value $+(\mathrm{b})$ proxy interest] x Index Option Base:
(a) change in Proxy Value $=($ current Proxy Value - beginning Proxy Value $)=(-2.88 \%-1.03 \%)=-3.91 \%$
(b) proxy interest $=$ beginning Proxy Value $x(1-$ Time remaining $)=1.03 \% \times(1-0.50)=0.51 \%$
$=[(a)-3.91 \%+(b) 0.51 \%] \times \$ 10,000=-\$ 339.77$
Index Option Value $=$ Index Option Base + Daily Adjustment $=\$ 10,000.00+-\$ 339.77=\$ 9,660.23$

| Month | Index Price | AMC | OMC | OMP | Proxy Value | Daily <br> Adjustment | Index Option <br> Value |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 6 | 910 | $0.89 \%$ | $0.08 \%$ | $3.69 \%$ | $-2.88 \%$ | $-\$ 339.77$ | $\$ 9,660.23$ |

## End of month eleven

Assume the Index price increased to 1095 by the end of month eleven. We calculate the current Proxy Value as follows:

| Strike price | AMC $=1$ | OMC $=1.12$ | OMP $=0.90$ |
| :--- | :--- | :--- | :--- |
| Index price | 1095 |  |  |
| Index YTD return | $9.50 \%$ |  |  |
| Interest rate | $0.50 \%$ |  |  |
| Dividend yield | $2.20 \%$ |  |  |
| Time remaining | 0.08 |  |  |
| Volatility | $15.00 \%$ |  |  |
| Value of derivatives using Black Scholes | AMC $=9.37 \%$ | OMC $=0.87 \%$ | OMP $=0.00 \%$ |

Current Proxy Value $=\mathrm{AMC}-\mathrm{OMC}-\mathrm{OMP}=9.37 \%-0.87 \%-0.00 \%=8.50 \%$
In this example the Index price increased, which generally increases the Proxy Value. We calculate the Daily Adjustment and Index Option Value as follows.

Daily Adjustment $=[(a)$ change in Proxy Value $+(b)$ proxy interest $]$ Index Option Base:
(a) change in Proxy Value $=($ current Proxy Value - beginning Proxy Value $)=(8.50 \%-1.03 \%)=7.47 \%$
(b) proxy interest $=$ beginning Proxy Value $\mathrm{x}(1-$ Time remaining $)=1.03 \% \times(1-0.08)=0.94 \%$
$=[(a) 7.47 \%+(b) 0.94 \%] \times 10,000=\$ 841.78$
Index Option Value $=$ Index Option Base + Daily Adjustment $=\$ 10,000.00+\$ 841.78=\$ 10,841.78$

| Month | Index Price | AMC | OMC | OMP | Proxy Value | Daily Adjustment | Index Option Value |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 11 | 1,095 | 9.37\% | 0.87\% | 0.00\% | 8.50\% | \$841.78 | \$10,841.78 |
| Allianz Index Advantage ${ }^{\text {® }}$ New York INY-024a (04/ |  |  |  |  |  |  |  |
| Exhibit 99(a) |  |  |  |  |  |  |  |

The following table shows for each month during an Index Year what the hypothetical Proxy Values, Daily Adjustments, and Index Option Values would be for different Index prices. Note that all Proxy Value inputs used are the same as in the previous examples. For simplicity we assume the Index Option Base is $\$ 10,000$ throughout the Index Year. In reality your Index Option Base changes throughout the year with the deduction of any partial withdrawal you request and when we deduct applicable contract fees and charges.

| Month | Index Prices | AMC | OMC | OMP | Proxy Value | Daily <br> Adjustment | Index Option <br> Value |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Index Effective Date | 1,000 | $5.10 \%$ | $1.66 \%$ | $2.41 \%$ | $1.03 \%$ | $\$ 0.00$ | $\$ 10,000.00$ |
| 1 | 1,010 | $5.41 \%$ | $1.72 \%$ | $1.95 \%$ | $1.74 \%$ | $\$ 79.39$ | $\$ 10,079.39$ |
| 2 | 975 | $3.62 \%$ | $0.94 \%$ | $2.58 \%$ | $0.10 \%$ | $-\$ 75.46$ | $\$ 9,924.54$ |
| 3 | 950 | $2.50 \%$ | $0.52 \%$ | $3.09 \%$ | $-1.11 \%$ | $-\$ 187.97$ | $\$ 9,812.03$ |
| 4 | 925 | $1.59 \%$ | $0.25 \%$ | $3.73 \%$ | $-2.39 \%$ | $-\$ 307.94$ | $\$ 9,692.06$ |
| 5 | 850 | $0.30 \%$ | $0.02 \%$ | $7.54 \%$ | $-7.26 \%$ | $-\$ 785.68$ | $\$ 9,214.32$ |
| 6 | 910 | $0.89 \%$ | $0.08 \%$ | $3.69 \%$ | $-2.88 \%$ | $-\$ 339.77$ | $\$ 9,660.23$ |
| 7 | 980 | $2.61 \%$ | $0.33 \%$ | $1.07 \%$ | $1.20 \%$ | $\$ 77.62$ | $\$ 10,077.62$ |
| 8 | 1,015 | $3.95 \%$ | $0.51 \%$ | $0.36 \%$ | $3.08 \%$ | $\$ 273.31$ | $\$ 10,273.31$ |
| 9 | 1,100 | $9.95 \%$ | $2.22 \%$ | $0.01 \%$ | $7.72 \%$ | $\$ 745.88$ | $\$ 10,745.88$ |
| 10 | 1,125 | $12.25 \%$ | $2.83 \%$ | $0.00 \%$ | $9.42 \%$ | $\$ 924.84$ | $\$ 10,924.84$ |
| 11 | 1,095 | $9.37 \%$ | $0.87 \%$ | $0.00 \%$ | $8.50 \%$ | $\$ 841.78$ | $\$ 10,841.78$ |
| 10 |  |  |  |  |  | $\$ 10,800.00$ |  |

## EXAMPLE: INDEX PERFORMANCE STRATEGY WITH THE EURO STOXX 50®

Assume you purchase a Contract and allocate your total initial Purchase Payment of $\$ 10,000$ to the Index Option with the Index Performance Strategy using the EURO STOXX 50 ${ }^{\circledR}$. On the Index Effective Date the Index Option Base is $\$ 10,000$, the Cap is $15 \%$, the Buffer is $10 \%$ and the Index Value is 1,000 . Please note that these examples may differ from your actual results due to rounding.

Index Effective Date
On the Index Effective Date we calculate the beginning Proxy Value as follows.

| Strike price | AMC $=1$ | OMC $=1.15$ | OMP $=0.90$ |
| :--- | :--- | :--- | :--- |
| Index Value | 1,000 |  |  |
| Index YTD return | NA |  |  |
| Interest rate | $0.50 \%$ |  |  |
| Adjusted dividend yield | $2.05 \%$ (as calculated below) |  |  |
| Time remaining | 1 |  |  |
| Volatility | $15.00 \%$ |  |  |
| Value of derivatives using Black Scholes | AMC $=5.17 \%$ | OMC $=1.24 \%$ | OMP $=2.37 \%$ |

Beginning Proxy Value $=\mathrm{AMC}-\mathrm{OMC}-\mathrm{OMP}=5.17 \%-1.24 \%-2.37 \%=1.57 \%$

| Month | Index Value | AMC | OMC | OMP | Proxy Value | Daily <br> Adjustment | Index Option <br> Value |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Index Effective Date | 1,000 | $5.17 \%$ | $1.24 \%$ | $2.37 \%$ | $1.57 \%$ | $\$ 0.00$ | $\$ 10,000.00$ |


| Assumptions for adjusted dividend yield: |  |
| :--- | :--- |
| EURO STOXX 50® dividend yield | $2.20 \%$ |
| Annual effective yield of Six-month U.S. Constant MaturityTreasury Rate | $0.50 \%$ |
| Annual effective yield of Six-month Euribor Rate | $0.25 \%$ |
| Six month volatility of EURO STOXX 50® | $15.00 \%$ |
| Six month volatility of exchange rate (euros/dollars) | $6.75 \%$ |
| Correlation of exchange rate and EURO STOXX 50 | 0.4 |

Adjusted dividend yield $=2.20 \%+(0.50 \%-0.25 \%)-(15 \% \times 6.75 \% \times 0.4)$
Adjusted dividend yield $=2.05 \%$

## End of month one with changes to adjusted dividend yield

Proxy Value inputs can result in a negative Daily Adjustment even with a positive return in the Index. As in the previous example, assume the Index price increased to 1,010 by the end of month one. In addition, assume the annual effective yield of Six-month Euribor Rate went from $0.25 \%$ to $0.10 \%$, the exchange rate volatility increased from $6.75 \%$ to $15 \%$, and the correlation of exchange rate and EURO STOXX $50^{\circledR}$ went from 0.4 to -0.8 . We calculate the current Proxy Value as follows:

| Strike price | AMC $=1$ | OMC $=1.15$ | OMP $=0.90$ |
| :--- | :--- | :--- | :--- |
| Index price | 1,010 |  |  |
| Index YTD return | $1.00 \%$ |  |  |
| Interest rate | $0.50 \%$ |  |  |
| Adjusted dividend yield | $4.40 \%$ (as calculated below) |  |  |
| Time remaining | 0.92 |  |  |
| Volatility | $15.00 \%$ |  |  |
| Value of derivatives using Black Scholes | AMC $=4.45 \%$ | OMC $=0.93 \%$ | OMP $=2.43 \%$ |
| Beginning Proxy Value $=$ AMC - OMC - OMP $=4.45 \%-0.93 \%-2.43 \%=1.09 \%$ |  |  |  |

In this example the Index price increased since the beginning of the year, which generally increases the Proxy Value. We calculate the Daily Adjustment and Index Option Value as follows.

Daily Adjustment $=[(a)$ change in Proxy Value $+(b)$ proxy interest $]$ x Index Option Base:
(a) change in Proxy Value $=($ current Proxy Value - beginning Proxy Value $)=(1.09 \%-1.57 \%)=-0.48 \%$
(b) proxy interest $=$ beginning Proxy Value $\mathrm{x}(1-$ Time remaining $)=1.57 \% \mathrm{x}(1-0.92)=0.13 \%$
$=[(a)-0.48 \%+(b) 0.13 \%] \times \$ 10,000=-\$ 34.98$
Index Option Value $=$ Index Option Base + Daily Adjustment $=\$ 10,000.00+-\$ 34.98=\$ 9,965.02$

| Month | Index Price | AMC | OMC | OMP | Proxy Value | Daily <br> Adjustment | Index Option <br> Value |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 1,010 | $4.45 \%$ | $0.93 \%$ | $2.43 \%$ | $1.09 \%$ | $-\$ 34.98$ | $\$ 9,965.02$ |


| Assumptions for adjusted dividend yield: |  |
| :--- | :--- |
| EURO STOXX 50® dividend yield | $2.20 \%$ |
| Annual effective yield of Six-month U.S. Constant MaturityTreasury Rate | $0.50 \%$ |
| Annual effective yield of Six-month Euribor Rate | $0.10 \%$ |
| Six month volatility of EURO STOXX 50 | $15.00 \%$ |
| Six month volatility of exchange rate (euros/dollars) | $15.00 \%$ |
| Correlation of exchange rate and EURO STOXX 50® | -0.8 |

Adjusted dividend yield $=2.20 \%+(0.50 \%-0.10 \%)-(15 \% \times 15 \% \times-0.8)$
Adjusted dividend yield $=4.40 \%$

## EXAMPLE: INDEX PROTECTION NY STRATEGY WITH THE S\&P 500® INDEX

Assume you purchase a Contract and allocate your total initial Purchase Payment of $\$ 10,000$ to the Index Option with the Index Performance Strategy using the S\&P $500^{\circledR}$ Index. On the Index Effective Date the Index Option Base is $\$ 10,000$, the Cap is $4 \%$, the Buffer is $30 \%$ and the Index Value is 1,000 . Assume that all Proxy Value inputs except the Index price stay constant throughout the year. Please note that these examples may differ from your actual results due to rounding.

## Index Effective Date

On the Index Effective Date we calculate the beginning Proxy Value as follows.

| Strike price | AMC $=1$ | OMC $=1.04$ | OMP $=0.70$ |
| :--- | :--- | :--- | :--- |
| Index Value | 1,000 |  |  |
| Index YTD return | NA |  |  |
| Interest rate | $0.50 \%$ |  |  |
| Dividend yield | $2.20 \%$ |  |  |
| Time remaining | 1 |  |  |
| Volatility | $15.00 \%$ | OMP $=0.05 \%$ |  |
| Value of derivatives using Black Scholes | AMC $=5.10 \%$ | OMC $=3.61 \%$ |  |
| Beginning Proxy Value $=$ AMC - OMC - OMP $=5.10 \%-3.61 \%-0.05 \%=1.44 \%$ |  |  |  |


| Month | Index Value | AMC | OMC | OMP | Proxy Value | Daily <br> Adjustment | Index Option <br> Value |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Index Effective Date | 1,000 | $5.10 \%$ | $3.61 \%$ | $0.05 \%$ | $1.44 \%$ | $\$ 0.00$ | $\$ 10,000.00$ |

## End of month three

Assume the Index price decreased to 950 by the end of month three. We calculate the current Proxy Value as follows:

| Strike price | AMC $=1$ | OMC $=1.04$ | OMP $=0.70$ |
| :--- | :--- | :--- | :--- |
| Index price | 950 |  |  |
| Index YTD return | $-5.00 \%$ |  |  |
| Interest rate | $0.50 \%$ |  |  |
| Dividend yield | $2.20 \%$ |  |  |
| Time remaining | 0.75 |  |  |
| Volatility | $15.00 \%$ |  |  |
| Value of derivatives using Black Scholes | AMC $=2.50 \%$ | OMC $=1.55 \%$ | OMP $=0.04 \%$ |

Current Proxy Value $=\mathrm{AMC}-\mathrm{OMC}-\mathrm{OMP}=2.50 \%-1.55 \%-0.04 \%=0.91 \%$
We calculate the Daily Adjustment and Index Option Value as follows.
Daily Adjustment $=[(a)$ change in Proxy Value $+(b)$ proxy interest $]$ Index Option Base:
(a) change in Proxy Value $=($ current Proxy Value - beginning Proxy Value $)=(0.91 \%-1.44 \%)=-0.53 \%$
(b) proxy interest $=$ beginning Proxy Value $x(1-$ Time remaining $)=1.44 \% \times(1-0.75)=0.36 \%$
$=[(a)-0.53 \%+(b) 0.36 \%] \times 10,000=-\$ 17.01$
Index Option Value $=$ Index Option Base + Daily Adjustment $=\$ 10,000.00+-\$ 17.01=\$ 9,982.99$

| Month | Index Price | AMC | OMC | OMP | Proxy Value | Daily <br> Adjustment | Index Option <br> Value |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 3 | 950 | $2.50 \%$ | $1.55 \%$ | $0.04 \%$ | $0.91 \%$ | $-\$ 17.01$ | $\$ 9,982.99$ |

